Name: SOLUTIONS

UID: CS 33

1. Always True?

Assume:

```
int x = rand();
int y = rand();
unsigned ux = (unsigned) x;
```

Are the following statements always true?

- a. $ux \gg 3 == ux/8$
 - True
 - For unsigned integers, right shifting always rounds towards 0.
 - Shifting right by 3 is the same as integer division by 2^3 , which also rounds towards 0.
- b. Given x > 0, $((x \ll 5) \gg 6) > 0$

False

- In the case where $(x \ll 5)$ has a 1 for its most significant bit, right shifting by 6 will produce a negative number.
- c. $\sim x + x \ge ux$

True

- $\sim x + x$ would be UMAX.
- d. Given x & 15 == 11, $x \& 0b0000 \dots 1111 == 0b0000 \dots 1011$, then $(\sim ((x \gg 3) \& (x \gg 2)) \ll 31) \ge 0$

False

- The final comparison against 0 effectively checks if the most significant bit of the left-hand sign is 0 or not.
- By the given statement, we know that the 4 least significant bits (lsb) of x are 1011. Thus, $(x \gg 3)$ has a lsb of 1, while $(x \gg 2)$ has a lsb of 0.
- AND-ing the two together has a lsb of 0, which when negated is 1.
- Left-shifting by 31 thus results in a number with a most significant bit of 1, and the remaining bits being 0.
- This is a negative number.

e. Given ((x < 0) && (x + x < 0)), then x + ux < 0

False

- In an addition of an unsigned integer with a signed integer, the signed integer is implicitly cast to unsigned.
- Thus, the addition of two unsigned integers will always be non-negative (regardless of what is given).
- f. Given ((x < 0) && (y < 0) && (x + y > 0)), then $((x | y) \gg 30) == -1$

False

- Per the given, we know that the two most significant bits of x and y can be either 10 and 10, 11 and 10, or 10 and 11.
- In the case where x and y are 10 and 10, $(x \mid y)$ would have most significant bits of 10.
- In that case, right shifting $(x \mid y)$ by 30 would result in -2.

2. Data Lab Practice

Write a function that, given a number n, returns another number where the kth bit from the right is set to 0.

Examples:

}

- killKthBit(37, 3) = 33 because $37_{10} = 100101_2 \rightarrow 100001_2 = 33_{10}$
- killKthBit(37, 4) = 37 because the 4th bit from the right is already 0.

Allowed Operations: \sim & | $\hat{}$ \gg \ll - + int killKthBit(int n, int k) { return n & $\tilde{}$ (1 << (k - 1))

3. What's the Byte?

Given: x has a 4 byte value of 255, i.e.

0x000000FF

What is the value of the byte with the lowest address in:

a. big endian system?

0x00

b. little endian system?

0xFF

4. Endianness

a. Suppose we declared the following 4 byte int: int x = 254;

and we stored it at memory location 0x100 on a little-endian system. What values would be stored in the following memory locations?

| 0x100 | 0x101 | 0x102 | 0x103 | |
|-------|----------|-------|-------|--|
| 0xFE | 0x 0 0 | 0x00 | 0x00 | |

b. Suppose we declared an array of ints:

$$int arr[] = 1, 2;$$

and we stored it at memory location 0x100 on a little-endian system. What values would be stored in the following memory locations?

| 0x100 | 0x101 | 0x102 | 0x103 | 0x104 | 0x105 | 0x106 | 0x107 |
|-------|-------|-------|-------|-------|-------|-------|-------|
| 0x01 | 0x00 | 0x00 | 0x00 | 0x02 | 0x00 | 0x00 | 0x00 |

c. Suppose we declared a string:

$$char*s = "hello";$$

and we stored it at memory location 0x100 on a little-endian system. What values would be stored in the following memory locations?

Note: It's a good idea to get familiar with hex encodings of alphabetical characters, but for convenience, the hexadecimal encodings are: h(0x68), e(0x65), l(0x6c), o(0x6f)

| 0x100 | 0x101 | 0x102 | 0x103 | 0x104 | 0x105 |
|-------|-------|----------|-------|----------|-------|
| 0x68 | 0x65 | 0x 6 C | 0x6C | 0x 6 F | 0x00 |